



# Masking Does Not Protect Against Fault Attacks

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## Masking techniques on AES



- Cryptographic algorithms are susceptible to **power analysis attacks**, i.e. measure power consumption, do some statistical analysis and extract the secret keys.
- Masking : for each AES algorithm execution, add a *random vector u* to the plaintext bytes, *a random vector w* to the secret key bytes, and start the computations with u, and w.
- compute the algorithm for both the « masked plaintext » and the « mask » independently
- at the end, add both parts together and recover the correct ciphertext

## Example: Boolean masking for AES



- Everything goes fine except for the non-linear Sboxes (table look-up implementation).
- Recompute each Sbox such that  $S_u(m \oplus u) = S(m)$ .
- Remask with  $v$  at the output:  $S_u^v(m \oplus u) = S(m) \oplus v$ .
- Close-up look on last-round computation on masked state  $s$  (ignore Shiftrow here):
  - $c = ((S_u^v(s) \oplus (k \oplus w)) \oplus v) \oplus w$
- Consider 2 different runs with the same plaintext, same key, but **different random vectors  $u, v, w$** .
- **Ciphertexts will be the same** .

# Effects of a single bit-flip $e_j$ in the masked state $s$



- Introduce a single bit-flip  $e_j$  in masked state  $s$  of one of the runs.
- $c = ((S^v_u(s) \oplus (k \oplus w)) \oplus v) \oplus w$
- $c = ((S^{v^*}_{u^*}(s^*) \oplus (k \oplus w^*)) \oplus v^*) \oplus w^*$
- $c^* = ((S^{v^*}_{u^*}(s^* \oplus e_j) \oplus (k \oplus w^*)) \oplus v^*) \oplus w^*$
  
- Add the correct and the faulty ciphertexts.
- $c \oplus c^* = ((S^v_u(s) \oplus (k \oplus w)) \oplus v) \oplus w \oplus ((S^{v^*}_{u^*}(s^* \oplus e_j) \oplus (k \oplus w^*)) \oplus v^*) \oplus w^*$
- $c \oplus c^* = (S^v_u(s) \oplus v) \oplus (S^{v^*}_{u^*}(s^* \oplus e_j) \oplus v^*)$
  
- $c \oplus c^* = S_u(m \oplus u) \oplus S_{u^*}((m \oplus u^*) \oplus e_j)$ .
- $c \oplus c^* = S_u(m \oplus u) \oplus S_{u^*}((m \oplus e_j) \oplus u^*)$ .
- $c \oplus c^* = S(m) \oplus S(m \oplus e_j)$
  
- **even though the faulty computation  $S(m \oplus e_j)$  never actually took place.**

# Key Recovery



- $c \oplus c^* = S(m) \oplus S(m \oplus e_j)$
- Apply differential cryptanalysis on  $S$  or  $S^{-1}$  and recover one last round subkey byte (a few values may be left here)
- Requires 16 faulty ciphertexts plus their correct versions.
- Plus some exhaustive search or a second faulty ciphertext for each byte since a few different keys remain after the filtering stage.
- **This example requires a very strong and precise fault model**
- **Can be generalised to weaker fault models, other rounds, other masking techniques but the conclusion remains the same...**
- **We have plenty more examples ;-)**



**Thank you!**

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